

Sampling with and without Replacement

Our textbook defines this as:

Sampling is the process of selecting an object from a large group of objects and inspecting it, noting its feature(s). The object is then put back [the "replacement"] or NOT put back [the "without replacement"].

OUR
INSPIRATION!



From Wikipedia:

Let's try a few problems

Consider problem #4 on page 488.

Alix has a bag of "sweets" which are all identical in shape. The bag contains 6 orange drops and 4 lemon drops. She selects one sweet at random, eats it and then takes another, also at random. Determine the probability that:

(A) both sweets were orange drops $P(OO) = \left(\frac{6}{10}\right)\left(\frac{5}{9}\right) = \frac{30}{90} = \frac{1}{3}$

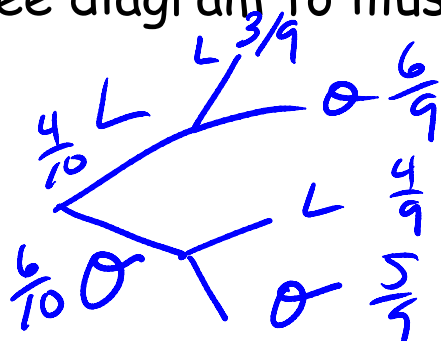
(B) both sweets were lemon drops $P(LL) = \left(\frac{4}{10}\right)\left(\frac{3}{9}\right) = \frac{12}{90}$

(C) the first was an orange drop and the second was a lemon drop $P(OL) = \left(\frac{6}{10}\right)\left(\frac{4}{9}\right) = \frac{24}{90}$

(D) the first was a lemon drop and the second was an orange drop $P(LO) = \left(\frac{4}{10}\right)\left(\frac{6}{9}\right) = \frac{24}{90}$

Add your answers to a, b, c, and d. $1 = \frac{30}{90} + \frac{24}{90} + \frac{24}{90} + \frac{12}{90}$

Let's draw a tree diagram to illustrate our sample space.



$$P(\text{Or Or})$$

$$P(\text{LL}) = \frac{30}{90}$$

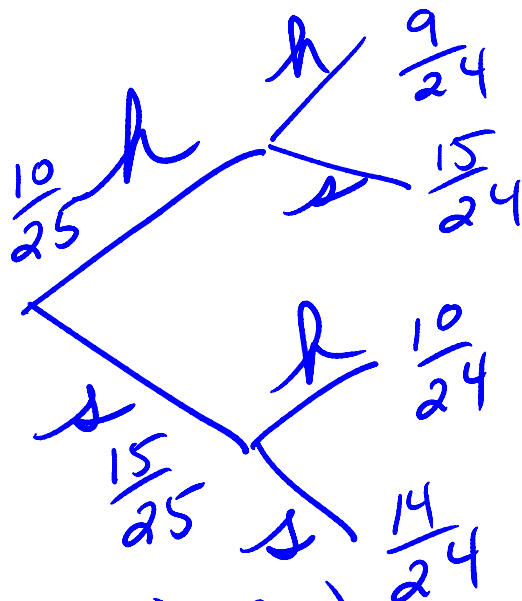
$$P(\text{OrL}) = \frac{12}{90}$$

$$P(\text{LOr}) = \frac{24}{90}$$

$$P(\text{OrOr}) = \frac{24}{90}$$

$$P(\text{OrOr}) + P(\text{LL}) + P(\text{OrL}) + P(\text{LOr}) = 1$$

Now you try #6 on page 489



$$P(\text{hh}) = \left(\frac{10}{25}\right)\left(\frac{9}{24}\right)$$

$$P(\text{ss}) = \left(\frac{15}{25}\right)\left(\frac{14}{24}\right)$$

If time, do the "Sampling Simulation" on page 490
[Need to open up the cd to Chapter 19, set speed
to "fast"]

Homework: pages 488, 489 #1, 3, 5, 7 [please
draw a tree diagram for each problem]